

The current in  $R_2$  is the difference between  $I_A$  and  $I_B$ .

$$I_2 = (I_A - I_B) = 0.512 \text{ mA} - 0.887 \text{ mA} = -0.375 \text{ mA}$$

The negative sign indicates that current is the opposite direction to  $I_A$ ; the positive side of the resistor is the right side.

The current in  $R_3$  is  $I_A - I_C$ .

$$I_3 = 0.512 \text{ mA} - 0.432 \text{ mA} = 0.08 \text{ mA}$$

The current in  $R_4$  is  $I_B - I_C$ .

$$I_4 = I_B - I_C = 0.887 \text{ mA} - 0.432 \text{ mA} = 0.455 \text{ mA}$$

The current in  $R_L$  is  $I_C$ .

$$I_L = 0.432 \text{ mA}$$

Find the voltage across each resistor.

Use Multisim files E09-10A and E09-10B to verify the calculated results in this example and to confirm your calculations for the related problem.



#### Related Problem

1. Do the loop currents necessarily represent the actual currents in the branches?
2. When you solve for a current using the loop method and get a negative value, what does it mean?
3. What circuit law is used in the loop current method?

## NODE VOLTAGE METHOD

The method of analysis of multiple-loop circuits is called the node voltage method. Based on finding the voltages at each node in the circuit using Kirchhoff's current law, you will be able to determine the voltages at each node where the voltage is unknown, except at the reference node. The directions are arbitrary.

### Steps for the node voltage method of circuit analysis are as follows:

1. Select one node as a reference. All voltages will be relative to the reference node. Assign voltage designations to each node where the voltage is unknown.
2. Assign currents at each node where the voltage is unknown, except at the reference node. The directions are arbitrary.
3. Apply Kirchhoff's current law at each node.
4. Develop and solve the node equations.