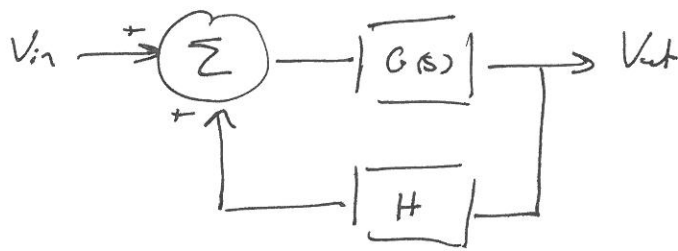


+ve FEEDBACK:



$$\Rightarrow H_{CL}(s) = \frac{G(s)}{1 + H G(s)}$$

$$G(s) = \frac{\cancel{A(s)} K}{(s - p_{ol1})(s - p_{ol2})} \quad \dots (K = p_{ol1} \cdot p_{ol2} \cdot A(0))$$

$$\Rightarrow 1 + H G(s) = 1 + \frac{H \cdot K}{(s - p_{ol1})(s - p_{ol2})} = (s - p_{ol1})(s - p_{ol2}) + H K$$

$$= s(s - p_{ol2}) - p_{ol1}(s - p_{ol2}) + H K$$

$$= s^2 - s p_{ol2} - s p_{ol1} + p_{ol1} p_{ol2} + H K$$

$$= s^2 - s(p_{ol1} + p_{ol2}) + p_{ol1} p_{ol2} + H K$$

$$\Rightarrow p_{cl1}/p_{cl2} = \frac{p_{ol1} + p_{ol2} \pm \sqrt{[(p_{ol1} + p_{ol2})^2 - 4(p_{ol1} p_{ol2} + H K)]}}{2}$$

* For $p_{cl1}/p_{cl2} = \text{Real}$:

$$\text{If } [(p_{ol1} + p_{ol2})^2 - 4(p_{ol1} p_{ol2} + H K)]^{1/2} > p_{ol1} + p_{ol2}$$

\Rightarrow One closed loop pole gets pushed into the RHP.

\rightarrow Increasing H.K will make this more likely.

* For $p_{cl1}/p_{cl2} = \text{complex}$:

$$\Re(p_{cl1}/p_{cl2}) = \frac{p_{ol1} + p_{ol2}}{2} = -ve$$

\Rightarrow How does a complex pole get into the RHP???